

Assignment 3

Lectures 05–07

Due on February 8, 2024

Exercise 1 (20 points)

Please explain what kind of functions fall under the following semantic types:

- (1) a. $\langle e, t \rangle$
b. $\langle e, \langle e, t \rangle \rangle$
c. $\langle \langle e, t \rangle, e \rangle$
d. $\langle \langle e, t \rangle, \langle e, t \rangle \rangle$
e. $\langle \langle e, t \rangle, \langle \langle e, t \rangle, t \rangle \rangle$

In your answers to this exercise, it might be useful to use indentation to improve readability. For example, the hypothetical type $\langle x, \langle y, z \rangle \rangle$ might be:

functions that map
x to functions that map
y to z

Exercise 2 (50 points)

Please compute the truth conditions of the following sentence.

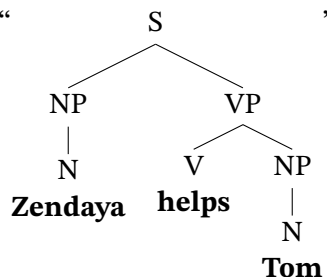
- (2) Zendaya helps Tom.

In order to do this, you will need to do the following:

A. Provide lexical entries stipulating the extensions of the lexical items.

B. Using your lexical entries from Part A and our rules of composition, provide a step-by-step proof of the following truth-conditional statement:

- (3) “



” is T iff Zendaya helps Tom.

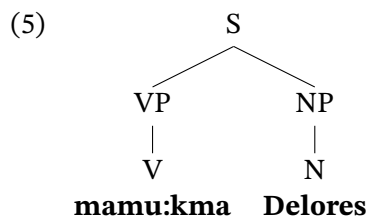
Your answer should have the structure of the proofs presented in the lecture notes. Be sure to include any subproofs as necessary.

Exercise 3 (30 points)

The language Nuu-chah-nulth (Wakashan; British Columbia) is a Verb-Initial language. That is, the verb appears as the first word in a sentence, as shown below:

- (4) mamu:kma Delores
works Delores
“Delores is working.”

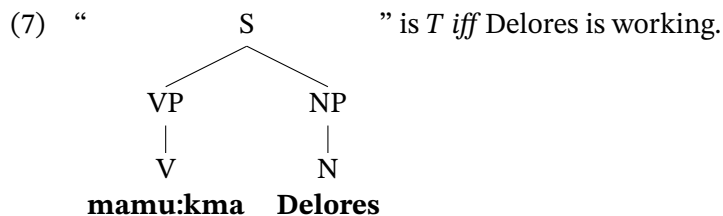
Assume that such sentences have the following structure:



Let us also assume the following lexical entries:

- (6) a. $\llbracket \text{Delores} \rrbracket = \text{Delores}$
b. $\llbracket \text{mamu:kma} \rrbracket = f : D_e \rightarrow D_t$
for every $x \in D_e$, $f(x) = T$ iff x is working

Given the translation of (4), the following truth-conditional statement seems to be accurate:



With these things in mind, please explain whether our rules of composition are able to derive the truth-conditional statement in (7). If so, please provide a step-by-step proof for them. If not, please explain why not.